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## EVIDENCE FOR NEGATIVE COOPERATIVITY IN HUMAN ERYTHROCYTE SUGAR TRANSPORT

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1. When D-glucose exchange influx is measured over a wide range of concentrations then two affinity constants (2.27 and 26.0 mM) are evident. This is consistent with a transport model (the allosteric pore model) in which there is negative cooperativity between subunits of the transport protein. 2. The equations for the allosteric pore model interacting with two substrates (or a substrate and an inhibitor) have been derived and have been used to analyse data from exchange inhibition and for mixed infinite-*trans* uptake experiments. 3. The exchange inhibition of tracer 3-*O*-methyl-D-glucose, D-xylose and D-fructose uptake by D-glucose also shows evidence for negative cooperativity and for two inhibition constants which are approximately equal to the D-glucose equilibrium exchange affinity constants. 4. The uptake of D-glucose into infinite-*trans* D-glucose or 3-*O*-methyl-D-glucose gives  $K_m$  values of 2.6 and 2.33 mM, respectively. The uptake of 3-*O*-methyl-D-glucose into infinite-*trans* D-glucose or 3-*O*-methyl-D-glucose gives  $K_m$  values of 6.0 and 4.6 mM, respectively.  $V$  values are slightly higher when the internal sugar is 3-*O*-methyl-D-glucose. 5. In cells that are treated with fluorodinitrobenzene the apparent  $K_i$  value for D-glucose inhibition of tracer D-fructose uptake is lowered. It is proposed that this is due to a partially selective effect of FDNB on the internal subunit interface stability constant (the internal pore gate).

### Introduction

Sugar transport into human erythrocytes has been extensively studied over many years and it has gradually become more difficult to account for the accumulating experimental parameters in terms of a simple carrier model with a site alternatively available at inner and outer sides of the membrane. Instead, multiple site models have been suggested [1–3]. We have recently described an allosteric pore model [4] which can account for the experimental parameters for D-glucose and D-galactose transport. Because of the multiple site interactions predicted by this model it is appropriate to test the model by measuring the transport parameters under conditions in which the transporter combines with two sugars. It is shown that the equations for the allosteric pore model when it combines with two sugars can be reduced to simple equa-

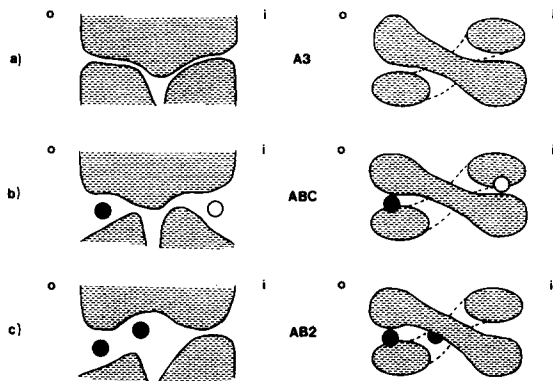
tions in the special case of exchange inhibition of one sugar on the tracer flux of another and in the case of infinite-*trans* fluxes.

### Theoretical

#### *The allosteric pore model*

The allosteric pore can be simultaneously occupied from the inside and outside sites. Substrate binding induces a conformational change which opens gates to the pore. The gates to the pore are regarded as interfaces between protein subunits. A linear arrangement of three subunits was assumed which gave two linear subunit interfaces. A cross-section of this arrangement of units could be envisaged as providing discrete upper and lower channels (Scheme I). Klingenberg [5] has recently reviewed evidence that dimers are involved in the transport of many substances, including sugars. An irregular arrangement of two protein units with two domains per subunit and two contact

Abbreviation: FDNB, fluorodinitrobenzene.



Scheme I. The scheme shows features of the allosteric pore. (a) in the absence of substrate the interfaces between subunits are stable and the pore is closed. (b) The pore is simultaneously occupied from inside and outside by transported substrate. The A subunits are converted to B subunits by substrate outside ( $\bullet$ ) and to C subunits by substrate inside ( $\circ$ ). (c) When neighbouring subunits are both occupied from outside then the interfaces between subunits (pore gates) are greatly destabilised and negative cooperativity results. The right panel of this scheme shows cross sections through these pores. The dotted line indicates that two subunits with separate domains at inner and outer surfaces would be equivalent to a linear arrangement of three subunits since both arrangements have inner and outer subunit interfaces.

points per neighbouring subunit would be equivalent to three subunits with only one point of contact per neighbouring subunit. In the case of sugar transport the exact structure of the transporter has not been clearly resolved, so that at present we shall continue to consider the transporter as consisting of three subunits.

The kinetic considerations of the allosteric pore demand only two subunit interfaces and a sufficient size or number of internal channels for substrate entering the pore from opposite sides of the membrane to pass one another.

When the pore is occupied from outside by substrate (S) a single subunit undergoes a conformational change. An A (unoccupied) subunit is converted to a B (occupied from outside) unit. When the pore is monovalently occupied from inside an A subunit is converted to a C (occupied from inside) unit. Monovalent occupancy of the pore by S results in low  $K_m(1/K_S)$  and low  $V(V_L)$  transport parameters because the *trans* gates are not fully open. However, monovalent occupancy exposes a high  $K_m$  site (negative coopera-

tivity). If the concentration of substrate is sufficiently high, then binding to this site can destabilize the *trans* gate and result in a high  $V(V_H)$  for transport. The degree of negative cooperativity is dependent on the stability of the interface between two B subunits compared with the stability of two A subunits ( $K_{BB}$ ). This has been defined more fully elsewhere [4].

The net influx equation for  $S_o$  (in the absence of other forms of the pore) combines the fractional concentrations of the monovalent (A2B) and divalent (AB2) pores and their respective low and high translocation rates

$$[A2B] = [A3] K_S S_o$$

$$[AB2] = [A3] K_S^2 K_{BB} S_o^2$$

$$U_{oi}^{S_o} = \frac{\text{Tot}(V_L K_S S_o + V_H K_S^2 K_{BB} S_o^2)}{1 + K_S S_o + K_S^2 K_{BB} S_o^2} \quad (1)$$

where Tot is the total concentration of all forms of the transporter.  $S_o$  represents substrate (S) concentration.  $[A3]$  is the concentration of the three unoccupied A subunits (empty pores).  $K_{BB}$  is the stability constant for two subunits occupied from outside.

In the case of efflux monovalent occupancy also occurs with an association constant,  $K_S$ , but divalent occupancy from inside gives a greater destabilization of subunit interfaces. This destabilization is given by the interface stability between two C subunits compared with the stability of two A subunits ( $K_{CC}$ ). The stability constant  $K_{CC}$  is less than  $K_{BB}$ .

In applying similar considerations to the flux of  $S_o$  in the presence of another substrate,  $T_o$ , and to the flux of  $S_o$  in the presence of internal sugar ( $S_i$  and  $T_i$ ) we give a general equation in the Appendix and return to a more detailed consideration of subunit interactions only for particular experimental situations.

#### Equilibrium exchange

We have previously shown by computer simulations that equilibrium exchange in the allosteric pore predominantly involves low  $K_m$ , low  $V_{\max}$  ( $V_L$ ) exchange and high  $K_m$ , and high  $V_{\max}$  ( $V_H$ ) exchange components. This is confirmed in the Appendix where the full exchange equation (Eqn. A3) is reduced to an equation containing only these

components (Eqn. A5). The low  $K_m$ , low  $V_{\max}$  exchange occurs in pores that are monovalently occupied from both outside and inside. An A subunit outside is converted to a B subunit and an A subunit inside is converted into a C subunit. Thus the (ABC) pore has stable subunit interfaces. The high  $K_m$ , high  $V_{\max}$  exchange occurs predominantly in pores that are divalently occupied from outside but monovalently occupied from inside (B2C) and in pores that are divalently occupied from inside but monovalently occupied from outside (C2B). Since these pores (B2C and C2B) are divalently occupied from a single side of the membrane (either outside or inside), then the interfaces between subunits are unstable and the interface stability constant  $(K_{BB} + K_{CC}) K_{BC}$  for the combined B2C and C2B pores gives rise to high  $K_m$  and high  $V_{\max}$ .

The inhibition of the tracer flux of T by S at equilibrium gives a similar equation (Eqn. A7). Tot/denominator of both these equations is equal to the concentration of available pores. This concentration is unaltered by the tracer T and the denominators of Eqns. A5 and A7 are identical. The numerators in these equations are equal to the tracer permeabilities through the available pores and the apparent affinity constants will be dependent upon the ratio of the permeabilities through the high and low affinity components. The exchange inhibition equations are (in coefficient form) equivalent to the net flux equation (Eqn. 1). The parameter values are, of course, different. Eqn. 2 can thus be used for curve fitting to net flux and exchange flux data:

$$\frac{U_{oi}^T}{T} = \frac{\text{Tot}(\nu_{-}K_L + \nu_{-}K_H S)}{1 + K_L S + K_H S^2} \quad (2)$$

We have previously shown [7] that the carrier equation for the effect of S on the tracer flux of T is

$$\frac{U_{oi}^T}{T} = \frac{1/(R_{ZZ}K_T)}{1 + \frac{R_{ee}^S}{K_S R_{ZZ}} \cdot S}$$

where  $R_{ee}^S/K_S R_{ZZ}$  is the reciprocal  $K_i$  value and should equal the equilibrium exchange  $K_m$  for S\*.

\*  $K_T$  and  $K_S$  in this equation are defined in Refs. 6 and 7 and bear no relation to the allosteric pore  $K_T$  and  $K_S$ .

This  $K_i$  value should be independent of which tracer is used. This can be contrasted with the predictions of the allosteric pore where the  $K_i$  values will be dependent upon the interaction of S and T within the available pores. The ratio of tracer permeability ( $V/K$ ) through the low- and high-affinity components may be different for different tracers and the  $K_i$  values need not equal the equilibrium exchange  $K_m$  values for S. For the allosteric pore only one  $K_m$  (or  $K_i$ ) will be apparent if the ratio  $\nu_{-}K_L K_L / \nu_{-}K_H$  is approximately equal to 1.

#### Infinite-trans uptake

The initial rates of infinite-trans uptake (counterflow) of a sugar S can be measured either with an infinite internal concentration of S or using an infinite concentration of another sugar, T [7,8].

We have previously derived [7] the equation for the interaction of the carrier model with two substrates. For infinite-trans uptake of  $S_o$  into infinite  $T_i$

$$\frac{U_{oi}^S}{S_o} = \frac{1/R_{ee}^{ST}}{\frac{R_{io}^T}{R_{ee}^{ST}} K_S + S_o} \quad (3)$$

For infinite-trans uptake of  $S_o$  into infinite  $S_i$

$$\frac{U_{oi}^S}{S_o} = \frac{1/R_{ee}^S}{\frac{R_{io}^S}{R_{ee}^S} \cdot K_S + S_o} \quad (4)$$

where  $R_{ee}^{ST}$  is the reciprocal of the  $V_{\max}$  for the mixed exchange of  $S_o$  into  $T_i$  or  $T_i$  into  $S_o$ .  $R_{io}^T$  and  $R_{io}^S$  are the reciprocals of the  $V_{\max}$  values for zero-trans exit of  $T_i$  and  $S_i$ , respectively, and  $R_{ee}^S$  is the reciprocal of the exchange  $V_{\max}$  for S.

We have previously shown that

$$R_{ee}^S + R_{ee}^T = R_{ee}^{ST} + R_{ee}^{TS} \quad (5)$$

where  $R_{ee}^T$  and  $R_{ee}^{TS}$  are the reciprocals of the  $V_{\max}$  values for exchange of T and for the mixed exchange of  $T_o$  into  $S_i$  or  $S_i$  into  $T_o$ . This equation means that the sum of the reciprocals of the  $V_{\max}$  values for the self-exchange of S and T should equal the sum of the reciprocals for the heteroexchange  $V_{\max}$  values.

For the carrier model it is clear that the infinite-trans exchange will be fast because flux will not be

limited by the return of the empty carrier. The  $K_m$  will be low only if the zero-*trans* rates are approximately equal to the exchange rates. Hence the carrier model is inconsistent with the data of Baker and Naf-talin [9], who showed a low  $K_m$  for infinite-*trans* efflux of D-glucose into infinite D-galactose. The carrier model predicts a high  $K_m$  because the ratio exchange/net influx is high.

These predictions of the carrier can be contrasted with those of the allosteric pore model where a fast infinite-*trans* exchange rate is due to *trans* destabiliza-tion of the pore gates. In this model the infinite-*trans*  $K_m$  values are low because of the destabilization of both the inner and outer pore gates that occurs at high (infinite-*trans*) sugar concentrations. For the allosteric pore model simple Michaelis-Menten equa-tions for the infinite-*trans* experiment are also ob-tained (see Eqns A8 and A9). For the allosteric pore model the sum of the reciprocals of the  $V_{max}$  values for the self-exchange of S and T are not necessarily equal to the sum of reciprocals of the heteroexchange  $V_{max}$  values. Thus an observation of inequality in the relationship (Eqn. 5) would be inconsistent with the carrier model but not the allosteric pore model. How-ever, an equality would be consistent with either model.

## Materials and Methods

D-Glucose, D-xylose, 3-*O*-methyl-D-glucose and D-fructose were from Sigma. D-[U- $^{14}$ C]-Glucose, D-[U- $^{14}$ C]xylose, and 3-*O*-[ $^{14}$ C]methyl-D-glucose and D-[U- $^{14}$ C]fructose were from the Radiochemical Centre, Amersham. Phloretin was from K and K laborato-ries and other reagents were from B.D.H.

### Transport experiments

Outdated human erythrocytes were washed five times in phosphate-saline buffer, pH 7.4 (154 mM NaCl/12.5 mM sodium phosphate). For the infinite-*trans* experiments cells were loaded to give 80 mM internal sugar. 50  $\mu$ l cells (80% cytochrome) were mixed with 1.6 ml of external sugar. To terminate the reac-tion 10 ml of stopping solution (0.3 mM phloretin and 0.16  $\mu$ M mercuric chloride in phosphate-saline buffer) were added at 0, 1 and 1.5 s and after equili-bration. For exchange inhibition experiments cells were equilibrated with a substrate concentration of

10  $\mu$ M (except in the case of D-fructose which was 100  $\mu$ M) and with an appropriate concentration of D-glucose for 5–15 min. Transport was initiated by adding radiolabelled substrate with or without D-glu-cose. After appropriate time intervals (which ranged from 1 s for D-glucose to 15 min for D-fructose) trans- port was terminated by the addition of stopping solu- tion. In both types of experiment, after centrifuga- tion of cell pellets in stopping solution, the superna- tants were removed and the cells were washed in a further 5 ml of stopping solution, respun, and then treated with 10% trichloroacetic acid. Aliquots, after removal of precipitated protein, were used to esti- mate radioactivity by liquid scintillation counting. Exchange uptake rates ( $v/s$ ) were calculated from the equation

$$v/s = \ln(1/(1 - f))/t$$

where  $f$  is the fractional filling and  $t$  is the time.

The infinite-*trans* equations (Eqns. A8, A9) are linear and data were fitted by weighted regression to give the apparent  $K_m$  and  $V$ .

The exchange inhibition equation (Eqn. 2) is non- linear and the data were fitted by a weighted least- squares procedure. This procedure uses the Marquardt method to give values for  $v_{-K_L}$ ,  $v_{-K_H}$ ,  $K_L$  and  $K_H$ . A computer programme was written using the subrou- tine NAG EO4 GAF.

In experiments using FDNB, washed cells (25% cytochrome) were treated with the reagent at the indi- cated concentrations of FDNB for 1 h at 25°C. The cells were then washed three or four times before use in sugar uptake estimations.

## Results

### Exchange inhibition experiments

The allosteric pore model, using previous estimates [4] for parameter values predicts that over the nor- mal range of sugar concentrations used to study exchange no nonlinearity in reciprocal plots should be detectable. However, as can be seen from the pre- dicted plot Fig. 1 some departure from linearity should occur at very low D-glucose concentrations (tracer concentrations). In view of this we decided to look for a low  $K_m$  component using low D-glucose concentrations. Fig. 1 shows the exchange uptake of D-glucose measured at 20°C. On the same plot are

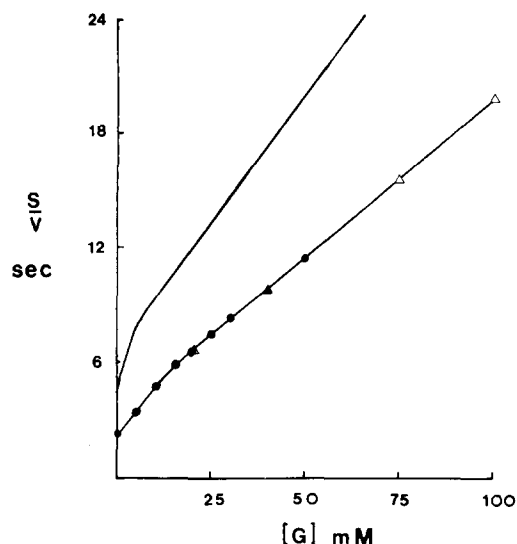


Fig. 1. D-Glucose exchange at 20°C: ●, exchange influx; △, exchange efflux. The lowest D-glucose concentration is 10  $\mu$ M. The line through the data is derived by least-squares analysis. The influx data are from three experiments with triplicate observations. The efflux data are from Ref. 10. Also shown is the simulated D-glucose exchange plot derived from previously assigned (Ref. 4) parameters. These parameter values were assigned to illustrate features of the model and were not based on least-squares fitting.

some previous observations [10] on D-glucose exchange exit at 20°C. As must be the case for a non-accumulating facilitative transfer system the influx and efflux exchange rates are compatible. However, our exchange influx rates at low D-glucose concentrations are faster than those which have been previously reported by Eilam [11] for exchange efflux of low D-glucose concentrations. Eilam [11] noted that the literature results on D-glucose exchange flux showed a different apparent  $K_m$  depending upon the concentration range of sugar used. However, on re-examination of D-glucose exchange, Eilam found no evidence for nonlinearity in exchange efflux reciprocal plots. Edwards [12] reported exchange efflux rates that are compatible with our demonstration of nonlinearity. We chose to study exchange influx over short incubation times because of the possibility of some metabolism of the D-glucose label at low D-glucose concentrations. The problem associated with measuring exchange efflux is that a significant metabolism of

the D-glucose label occurs, at low concentrations of sugar, during the cell loading period. The metabolized label is trapped so that efflux of nonmetabolized label (when measured as a fraction of the total label) may appear to be slow. Slight metabolism of the non-labelled internal D-glucose will be less important as this will be rapidly replaced from the loading solution. This metabolism can be partially avoided by using a short loading time but in our view the 5 min loading time used by Eilam is too long and we find that a significant proportion of the cellular label is metabolized in 2–3 min at low D-glucose concentrations. An alternative explanation for the discrepancy may be related to structural changes due to ageing of the cells but we have no detailed information on this.

The difference between our results on D-glucose exchange and those reported by Eilam is not of crucial importance, as we now have supportive evidence for two exchange affinity constants for D-glucose using other tracers. In Fig. 2 the inhibition of tracer uptakes of 3-O-methyl-D-glucose and D-xylose by equilibrated D-glucose are shown. Neither of these sugars shows evidence for breakdown of cellular label but each shows a similar pattern of D-glucose inhibition to that observed in D-glucose equilibrium exchange. In all three cases the plots show evidence for two affinity constants. Visual examination of the plots appears to indicate that two intersecting straight lines could be drawn through the data points. One line

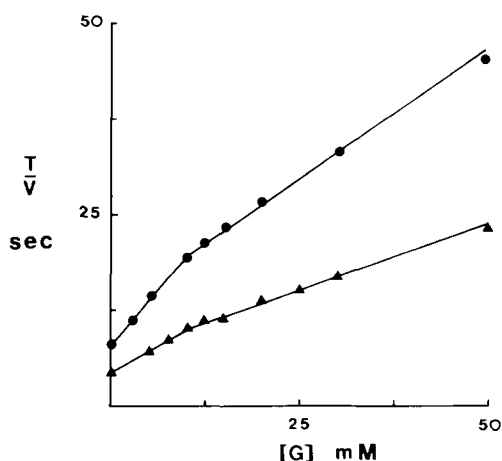


Fig. 2. D-Glucose inhibition of tracer (10  $\mu$ M) 3-O-methyl-D-glucose (▲) and D-xylose (●) exchange uptake at 20°C. From two experiments with triplicate observations in each case.

would appear to have an intercept on the abscissa close to 7 mM. The other line would appear to have an intercept on the abscissa close to 26 mM. The ratio of the two intercepts on the ordinate for these lines would be about 1.5. Least-squares fitting of the data (Table I) to the allosteric pore (Eqn. 2) also indicates that there are two affinity constants. The high  $K_m$  is about 26 mM, while the low  $K_m$  is about 2 mM. From Eqn. 2 it can be seen that at high sugar concentrations a linear relationship between  $T/V$  and  $S$  will exist (Eqn. 6) with an intercept on the ordinate equal to the  $K/V$  ratio for the high  $K_m$  component.

$$T/V = (K_L/\nu_K K_H) + (K_H/\nu_K K_H) S \quad (6)$$

The tracer  $V/K$  ratio for the low  $K_m$  component is equal to the permeability in the absence of  $S$ . Hence the component ratio  $\nu_K K_L \cdot K_L/\nu_K K_H$  should equal the ratio of tracer permeabilities through the two components and approximately correspond to the ratio 1.5 which was obtained from the ordinate intercepts from lines drawn by visual examination of the data. Computer fitting indicates that this ratio is closer to 2 than 1.5. Visual examination of the plot thus underestimates the component ratio and overestimates the low  $K_m$  but gives a good estimate of the

high  $K_m$ . This is because part of the flux at low but not zero D-glucose concentrations occurs through the high  $K_m$  component.

Our analysis of the carrier model [7] showed that the  $K_i$  for D-glucose inhibition of the flux of any tracer should equal the equilibrium exchange  $K_m$  for D-glucose. We were aware that the literature values for the exchange  $K_m$  for D-glucose (20–40 mM) were much higher than the  $K_i$  for D-glucose inhibition of the transport of the low affinity sugar L-sorbose (7 mM) [13]. Clearly the evidence is inconsistent with the carrier model but we wished to determine whether the inhibition by D-glucose of the flux of a low affinity sugar could be resolved into two components. As L-sorbose was not available we chose the structurally related ketose, D-fructose. The results showed that in spite of a tracer permeability ( $V/K$ ) almost 600-times lower than for D-glucose, two  $K_i$  values were clearly discernable (Fig. 4, Table I) and were similar to those obtained using D-glucose.

#### *Infinite-trans uptake experiments*

The uptake of 3-O-methyl-D-glucose into infinite-*trans* 3-O-methyl-D-glucose or infinite-*trans* D-glucose both revealed a  $K_m$  of about 6 mM (Fig. 3). The  $V_{max}$  for uptake was slightly greater when the inter-

TABLE I

THE KINETIC PARAMETERS FOR D-GLUCOSE EXCHANGE INHIBITION OF TRACER FLUXES IN HUMAN ERYTHROCYTES AT 20°C

Results from replicate observations are averaged before parameter fitting. The coefficient of variation of replicate observations was less than 10%. In each case the reciprocal of tracer permeability (calculated from replicate observations of tracer exchange) is significantly less ( $P < 0.01$ ) than the ordinate intercept from Eqn. 6 obtained by linear regression of data using D-glucose concentrations from 10–100 mM.

Tracer	$\nu_K K_L$ ( $\text{min}^{-1}$ )	$\nu_K K_H$ ( $\text{mM}^{-1} \cdot \text{min}^{-1}$ )	$K_L$ (mM $^{-1}$ )	$K_H$ (mM $^{-2}$ )	$1/K_L$ (mM)	$K_L/K_H$ (mM)	$(\nu_K K_L \cdot K_L)/$ $(\nu_K K_H)$
D-Glucose ( $n = 11$ )	26.2 $\pm 0.9$	6.21 $\pm 6.8$	0.44 $\pm 0.35$	0.0168 $\pm 0.0193$	2.27	26.0	1.8
3-O-Methyl-D-glucose ( $n = 10$ )	15.24 $\pm 1.08$	3.88 $\pm 11.7$	0.504 $\pm 1.06$	0.0233 $\pm 0.074$	1.98	21.6	1.97
D-Xylose ( $n = 9$ )	7.62 $\pm 0.51$	1.74 $\pm 3.34$	0.462 $\pm 0.612$	0.0205 $\pm 0.0436$	2.16	19.0	2.01
D-Fructose <sup>a</sup> ( $n = 6$ )	0.044 $\pm 0.002$	0.0213 $\pm 0.023$	0.844 $\pm 0.716$	0.0245 $\pm 0.033$	1.2	34.4	1.5

<sup>a</sup> 25°C.

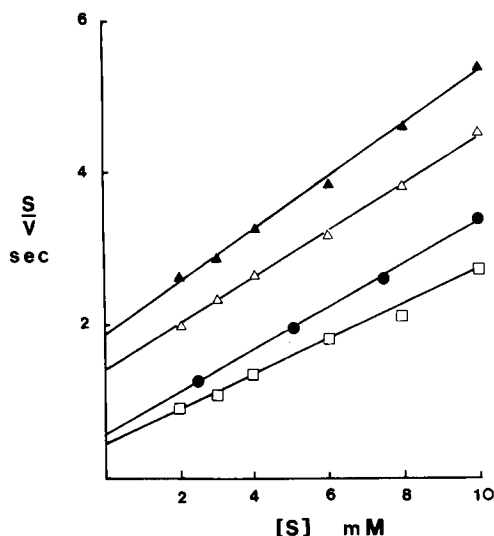


Fig. 3. D-Glucose uptake at 20°C into infinite-*trans* D-glucose (●)  $K_m = 2.6 \pm 0.52$  mM;  $V = 3.89 \pm 0.27$  mM/s and into infinite-*trans* 3-*O*-methyl-D-glucose (□)  $K_m = 2.33 \pm 0.49$  mM;  $V = 4.76 \pm 0.36$  mM/s. 3-*O*-Methyl-D-glucose uptake at 20°C into infinite-*trans* D-glucose (▲)  $K_m = 6.0 \pm 0.60$  mM;  $V = 3.03 \pm 0.17$  mM/s and infinite-*trans* 3-*O*-methyl-D-glucose (△)  $K_m = 4.6 \pm 0.3$  mM;  $V = 3.28 \pm 0.11$  mM/s. From two experiments with triplicate observations in each case.

nal sugar was 3-*O*-methyl-D-glucose.

The uptake of D-glucose into infinite-*trans* D-glucose or infinite-*trans* 3-*O*-methyl-D-glucose showed a  $K_m$  of about 2 mM (Fig. 3). Again, the  $V_{max}$  value for uptake was slightly greater when the internal sugar was 3-*O*-methyl-D-glucose. The parameter values for infinite-*trans* uptake of D-glucose reported here are similar to those described by Lacko et al. [14]. The  $V_{max}$  is slightly higher than the previously reported estimate but this may be because we use a higher internal D-glucose concentration. In view of the relative independence of the  $V_{max}$  values and particularly the  $K_m$  on the type of internal sugar it is not surprising that the results obtained for the mixed exchanges are consistent with either the carrier model Eqn. 5 or with the allosteric pore model. We have not carried out other tests of these equations using other sugars, but Miller [15] and Naftalin [16] and Baker and Naftalin [9] have noted heteroexchange rates that were considered to be inconsistent with the carrier model.

### Fluorodinitrobenzene inactivation

In view of the clear evidence for multiple components involved in the sugar transport mechanism we wished to examine whether these components were equally susceptible to inactivation by fluorodinitrobenzene (FDNB). Sen and Widdas [17] showed that net efflux of D-glucose was more inhibited than D-glucose exchange, while net entry of D-glucose was only poorly inhibited by FDNB. An explanation for these findings in terms of the allosteric pore is that FDNB treatment structurally modifies the internal pore gate so that sugars are less effective in causing a substrate induced destabilization of the internal subunit interface (that is,  $K_{CC}$  is increased). In the absence of a modification by FDNB treatment it is the instability of the internal gate which gives rise to asymmetry so that a relatively selective effect on this subunit interface stability constant would reverse the asymmetry in net fluxes. The occupancy of the pore in equilibrium exchange at high D-glucose concentrations is dependent upon the interface stability factor ( $K_{BB} + K_{CC}$ ) $K_{BC}$  and since  $K_{BB} > K_{CC}$  a relatively selective effect on  $K_{CC}$  would be expected to have a smaller effect on exchange than on net efflux. It is not suggested that FDNB is completely selective for the inner pore gate, since long exposure to the reagent at

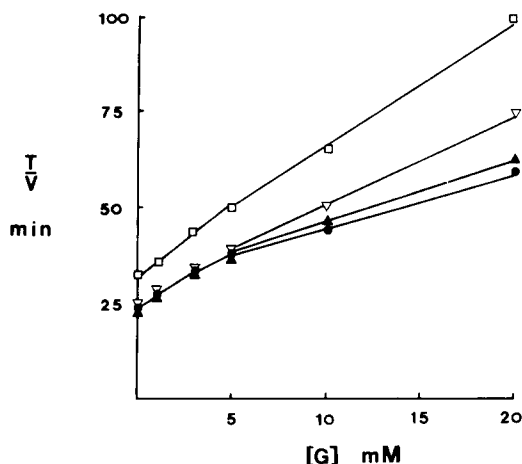


Fig. 4. D-Glucose inhibition of tracer (100  $\mu$ M) D-fructose exchange uptake at 25°C after treatment with no (●), 0.75 mM (▲), 1.5 mM (▽) and 3 mM (□) FDNB. Single experiments with duplicate observations in the presence of FDNB and three experiments in the absence of FDNB.

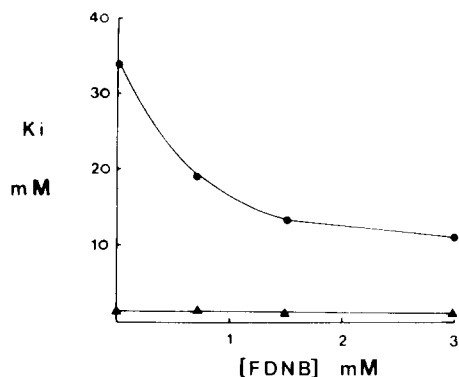


Fig. 5. The effect of FDNB pretreatment for 1 h at 25°C on  $K_L/K_H$  (●) and  $1/K_L$  (▲) measuring using D-fructose as the tracer substrate and D-glucose as the exchange inhibitor.

high concentrations gives total inhibition of the transport system.

If the suggested mechanism for FDNB action is correct, then FDNB might be expected to have a smaller effect on exchange inhibition than on net efflux but it might also be expected to lower the apparent  $K_i$  due to the increase in  $K_{CC}$ . Fig. 4 shows that this is the case. Here quite high concentrations of FDNB give rather small inhibition of tracer D-fructose flux. 3 mM FDNB treatment gives much greater inhibition of net D-glucose efflux [17]. Nevertheless, in the inhibited condition the apparent  $K_i$  for D-glucose is lowered and this appears to be due to a lowering of the high  $K_i$ , which is reduced by about one-half (Fig. 5) with no change in the low  $K_i$ . It seems likely that the internal pore gate stability constant  $K_{CC}$  is increased to a value similar to that of the outer pore gate stability constant,  $K_{BB}$ . Thus in FDNB-treated cells  $K_H \approx K_S^2 2K_{BB}K_{BC}$ , which is about twice  $K_H$  in untreated cells, which equals  $K_S^2(K_{BB} + K_{CC})K_{BC}$ . FDNB also reduces the component ratio  $\nu_{K_L} \cdot K_L / \nu_{K_H}$  from about 2 to about 1 and the inhibition plots in FDNB-treated cells become more linear.

## Discussion

We have previously shown [4] that the allosteric pore model is more compatible with the information that is available on erythrocyte sugar transport than are other models. In particular, there can no longer be any doubt that a single species of monovalent carrier

is an inadequate description of the process because of the demonstration of both high and low affinity constants at both membrane surfaces [18]. Much of the evidence supports the possibility of substrate-induced changes in the transport system and is therefore consistent with the allosteric pore model and with negative cooperativity in substrate binding and permeability.

The results of the present paper add further support to the possibility of negative cooperatively between components of the sugar transport system. There appears to be a shift from transporter involved in low  $K_m$  exchange to transporter involved in high  $K_m$  exchange as the concentration of D-glucose is increased. This is thought to be due to a substrate induced destabilization of interfaces between subunits (the pore gates) at high D-glucose concentrations. The evidence that D-glucose shows negative cooperativity is confirmed by the use of other substrates at tracer concentrations. Additional substrates were used because there appeared to be a difference between our results and some work from other laboratories. The evidence that the inhibition of the flux of tracer concentrations of 3-O-methyl-D-glucose, D-xylose and D-fructose by D-glucose also show both a low and a high  $K_m$  eliminates the possibility that the nonlinearity of our reciprocal plots of D-glucose exchange is due either to errors involved in measuring the very fast transport of D-glucose, or to errors due to a slight metabolism of tracer concentrations of D-glucose. This is because the additional tracers are transported more slowly than D-glucose and show no evidence for a metabolic breakdown of the radioactive label. The literature has previously suggested that the apparent  $K_i$  for inhibition of the uptake of low-affinity sugars, such as D-fructose, is lower than the apparent exchange  $K_m$  for D-glucose. Our results show that this anomaly occurs because the former measurement is usually made at too low a range of D-glucose concentrations, while the latter measurement is usually made at too high a range of D-glucose concentrations. A large range of both low and high D-glucose concentrations reveals both the low and the high  $K_m$  for both experiments.

In FDNB-treated cells there is a progressive lowering of the high  $K_m$  and the component ratio falls to 1. This thought to be due to an effect on the inner pore gate which in normal cells has a lower interface



stability constant. An increase in this constant thus reduces the negative cooperativity between subunits and reverses the asymmetry of the transport system.

A model in which some carriers are antiparallel [11] would give a single affinity constant in exchange experiments. However, the evidence presented for two affinity constants for D-glucose in the exchange inhibition experiment could be compatible with a model in which two different species of carrier were arranged in parallel [11] (see also Ref. 19). The coefficient form of the equation for the two-carrier model (Eqn. 7) is equivalent to the equation derived from the allosteric pore model:

$$V/S = \frac{((V_1/K_1) + (V_2/K_2)) + (V_1 + V_2)/(K_1 K_2) S}{1 + ((1/K_1) + (1/K_2)) S + (1/K_1 K_2) S^2} \quad (7)$$

where  $V_1$  and  $V_2$  are the exchange  $V_{\max}$  values for the two carriers and  $K_1$  and  $K_2$  are their respective exchange  $K_m$  values. This model, however, predicts a higher  $K_m$  in infinite-*cis* D-glucose uptake and infinite-*trans* D-glucose efflux than is observed [9]. It is also inconsistent with the evidence that the  $K/V$  ratios for net efflux and exchange (determined at high D-glucose concentrations) show different susceptibility to methylxanthines [10].

Several models for sugar transport with in series components have been described. A carrier in series with an unstirred layer [20] would give a linear equation for exchange inhibition [12]. A model in which the transporter is in series with a compartment in which a haemoglobin-sugar complex is formed has been suggested by Naftalin and coworkers [9,21]. This model would have to be modified to account for large asymmetries at low haemoglobin concentrations [10]. It would also have to be modified to account for the fast tracer fluxes that occur in the absence of D-glucose induced conformational changes that we have demonstrated in this report. An interesting new model has been described by Foley et al. [22] to account for sugar transport in adipocytes. It has been proposed that in series microcarriers are separated by a membrane pore. It can readily be shown that the equation for the exchange inhibition experiment derived from this model is

$$\frac{T}{V} = (1/P_1) + (1/P_2) + ((1/P_1 K_1) + (1/P_2 K_2)) S$$

where  $P_1$  and  $P_2$  are the tracer  $V/K$  values at the inner and outer microcarriers and  $K_1$  and  $K_2$  are their respective exchange  $K_m$  values for S. The equation predicts that different tracers may give different  $K_i$  values for D-glucose inhibition but also that the inhibition should be linear and only a single  $K_m$  should be evident for each tracer. Hence the model cannot account for erythrocyte sugar transport since it is inconsistent with the evidence for negative cooperativity that we have presented.

It is of interest to note that the adipocyte and erythrocyte sugar transport systems show many similarities particularly in their specificity requirements [7]. A major difference is that there is no evidence for asymmetry for 3-O-methyl-D-glucose in adipocytes [23,24] but this sugar, like D-glucose, shows asymmetric net fluxes in erythrocytes (Holman, unpublished results). Also, for adipocytes, there is less evidence for nonlinearity in plots of 3-O-methyl-D-glucose exchange at low concentrations [24] or at concentrations up to 60 mM (Holman and Rees, unpublished data). Also, the adipocyte system is less susceptible to inhibition by FDNB [25]. Thus we conclude that all these lines of evidence suggest that the allosteric pore model can be applied to both systems and that the mentioned differences between the two systems are due to a greater subunit interface instability at the inner surface of the erythrocyte system.

## Appendix

The allosteric pore equation for the flux of  $S_o$  in the presence of another substance,  $T_o$ , and to the flux of  $S_o$  in the presence of internal sugar ( $S_i$  and  $T_i$ ) is

$$U_{oi}^{S_o} = \frac{\text{Tot} \sum_{m=1}^2 \sum_{n=0}^2 \sum_{p=0}^2 \sum_{q=0}^2 S_o^m S_i^n T_o^p T_i^q v_{-K_{mnpq}}}{\sum_{m=0}^2 \sum_{n=0}^2 \sum_{p=0}^2 \sum_{q=0}^2 S_o^m S_i^n T_o^p T_i^q K_{mnpq}} \quad (A1)$$

where  $m + p$  and  $n + q \leq 2$  and  $m + n + p + q \leq 3$ ,  $K_{oooo} = 1$  and Tot is the concentration of all forms of the pore. The association constants  $K_{mnpq}$  are the products of monomer association constants ( $K_s$  and  $K_T$  for S and T, respectively), the statistical factor 2 when  $m = p$  or  $n = q$  and the relevant subunit interface stability constants. Multivalent occupancy

(when  $m + p$  or  $n + q = 2$ ) may result in unstable interfaces between subunits. Negatively cooperative interactions (when the interface stability constants are less than 1) will result in low affinity but high translocation rates. The translocation rates for each occupancy state are

$$V_{mnpq} = v_{-K_{mnpq}}/K_{mnpq}$$

In the efflux of S or in the influx or efflux of T the Tot/denominator of Eqn. A1 is unchanged as it is equal to the concentration of unoccupied pores. This is independent of the direction in which flux is measured.

For the efflux of  $S_i$

$$U_{io}^S = \frac{\text{Tot}}{D} \sum_{m=0}^2 \sum_{n=1}^2 \sum_{p=0}^2 \sum_{q=0}^2 S_o^m S_i^n T_o^p T_i^q v_{-K_{mnpq}}$$

For the influx of  $T_o$

$$U_{oi}^T = \frac{\text{Tot}}{D} \sum_{m=0}^2 \sum_{n=0}^2 \sum_{p=1}^2 \sum_{q=0}^2 S_o^m S_i^n T_o^p T_i^q v_{-K_{mnpq}} \quad (\text{A2})$$

For the efflux of  $T_i$

$$U_{io}^T = \frac{\text{Tot}}{D} \sum_{m=0}^2 \sum_{n=0}^2 \sum_{p=0}^2 \sum_{q=1}^2 S_o^m S_i^n T_o^p T_i^q v_{-K_{mnpq}}$$

Because the system is nonaccumulating

$$\sum_{m=1}^2 \sum_{n=0}^2 \sum_{p=0}^2 \sum_{q=0}^2 v_{-K_{mnpq}} = \sum_{m=0}^2 \sum_{n=1}^2 \sum_{p=0}^2 \sum_{q=0}^2 v_{-K_{mnpq}}$$

$$\sum_{m=0}^2 \sum_{n=0}^2 \sum_{p=1}^2 \sum_{q=0}^2 v_{-K_{mnpq}} = \sum_{m=0}^2 \sum_{n=0}^2 \sum_{p=0}^2 \sum_{q=1}^2 v_{-K_{mnpq}}$$

The flux equations for two sugars can be greatly simplified for certain experimental situations such as exchange inhibition and infinite-*trans* uptake and efflux.

The full equation for equilibrium exchange of S is derived from Eqn. A1

$$U_{oi}^S = \frac{\text{Tot} \sum_{m=1}^2 \sum_{n=0}^2 S_o^m S_i^n v_{-K_{mn00}}}{\sum_{m=0}^2 \sum_{n=0}^2 S_o^m S_i^n K_{mn00}} \quad (\text{A3})$$

To simplify this equation for the routine analysis of negative cooperativity in equilibrium exchange we return to a consideration of subunit interactions. If there is negative cooperativity between subunits then

$$1 + K_{BB} + K_{CC} \approx 1 + K_{BC}(K_{BB} + K_{CC}) \quad (\text{A4})$$

$$1 + \frac{V_H}{V_L} K_{BB} \approx 1 + \frac{V_{HE}}{V_L} K_{BC}(K_{BB} + K_{CC})$$

where  $K_{BB}$ ,  $K_{CC}$  and  $K_{BC}$  are interface stability constants. These are dimensionless ratios for the stability between B and C subunits compared with A subunits as described in [4] and in the text.  $V_H$  and  $V_L$  are defined in the text in the description of net flux.  $V_{HE}$  is the  $V_{\max}$  for the high  $K_m$  exchange components. Hence

$$\frac{U_{oi}^S}{S} = \frac{\text{Tot}(v_{-K_L^S} + v_{-K_{HE}^{SS}} S)}{1 + SK_{LE} + S^2 K_{HE}^{SS}} \quad (\text{A5})$$

$$\text{where } v_{-K_L^S} = V_L^S K_S$$

$$v_{-K_{HE}^{SS}} = V_{HE}^{SS} K_S^2 (K_{BB}^{SS} + K_{CC}^{SS}) K_{BC}^{SS}$$

$$K_{HE}^{SS} = K_S^2 (K_{BB}^{SS} + K_{CC}^{SS}) K_{BC}^{SS}$$

The parameter subscripts S and T are introduced to distinguish between the possible different destabilization factors that may arise if neighbouring subunits are occupied by different sugars (S or T). For  $1/K_{LE}$  the subscripts are used to distinguish this high-affinity exchange constant from the sugar/monomer dissociation constant  $1/K_S$ . We make this distinction because the value obtained for the constant  $1/K_{LE}$  is higher than previously anticipated [4]. This may be because the form of the pore involved in high-affinity exchange is doubly occupied, albeit from opposite sides of the membrane, and some slight subunit destabilization may occur which increases the apparent  $1/K_{LE}$  value above the value for  $1/K_S$ . This destabilization would be much less than that involved when pores are doubly occupied from the same side of the membrane.  $1/K_{LE}$  may also be higher than  $1/K_S$  because of the approximation involved in Eqn. A4 which has eliminated some forms of the pore which have low affinity. Otherwise, the approximation involved in Eqn. A4 is adequate for D-glucose

and D-galactose transport [4]. The approximation is unfortunate but has to be made if least-squares curve fitting is to be performed because Eqn. A3 contains too many parameters.

If a different sugar T is used as a tracer at a concentration well below its  $K_m$  then the chances of more than one molecule of tracer entering the same pore are negligible, hence

$$U_{oi}^T = \frac{\text{Tot} \sum_{m=0}^2 \sum_{n=0}^2 S_o^m S_i^n T_o v_{-K_{mn10}}}{\sum_{m=0}^2 \sum_{n=0}^2 S_o^m S_i^n K_{mn00}} \quad (\text{A6})$$

If the negative cooperativity assumption (Eqn. A4) is applied then Eqn. A6 becomes

$$\frac{U_{oi}^T}{T} = \frac{\text{Tot}(v_{-K_L^T} + v_{-K_{HE}^{ST}} S)}{1 + SK_{LE} + S^2 K_{HE}^{SS}} \quad (\text{A7})$$

where

$$v_{-K_L^T} = V_L^T K_T$$

$$v_{-K_{HE}^{ST}} = V_{HE}^{ST} K_S K_T (K_{BB}^{ST} + K_{CC}^{SS}) K_{BC}^{ST}$$

In infinite-*trans* influx the influx of  $S_o$  into an infinite concentration of  $T_i$  or  $S_i$  is measured. Setting  $T_i$  and  $T_o$  to 0 and  $S_i$  to  $\infty$  in Eqn. A1 gives

$$\frac{U_{oi}^S}{S_o} = \frac{\text{Tot } v_{-K_{1200}}/K_{1200}}{\frac{K_{0200}}{K_{1200}} + S_o}$$

In terms of interface stability constants this becomes

$$\frac{U_{oi}^S}{S_o} = \frac{\text{Tot } V_{HE}^{SS}}{\frac{1}{K_S K_{BC}^{SS}} + S_o} \quad (\text{A8})$$

Setting  $S_i$  and  $T_o$  to 0 and  $T_i$  to  $\infty$  in Eqn. A1 gives

$$\frac{U_{oi}^S}{S_o} = \frac{\text{Tot } v_{-K_{1002}}/K_{1002}}{\frac{K_{0002}}{K_{1002}} + S_o}$$

or

$$\frac{U_{oi}^S}{S_o} = \frac{\text{Tot } V_{HE}^{ST}}{\frac{1}{K_S K_{BC}^{ST}} + S_o} \quad (\text{A9})$$

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